

What can we learn from natural and artificial dependency trees ?

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Summary

- Introduce several procedures for generating random syntactic dependency trees with constraints
- Create artificial treebanks based on real treebanks
- Compare the properties of these trees (real / random)
- Try to find out how these properties interact and to what extent the relationship between them is formally constrained and/or linguistically motivated.

What do we have to gain from comparing original
and random trees ?

Motivations

- Natural syntactic trees are nice but :
 - Very complex
 - It's hard to understand how some property influences other properties
 - They mix formal and linguistic relationship between properties
- We want to find out why some trees are linguistically implausible ? i.e what makes these trees special compared to random ones

Motivations

- Natural languages have special syntactic properties and constraints that imposes limit on their variation.
- We can observe these properties by looking at natural syntactic trees.
- Some of the properties we observe might be artefacts : not properties of natural languages but properties of trees themselves (mathematical object).
 - By also looking at artificial trees we can distinguish between the two

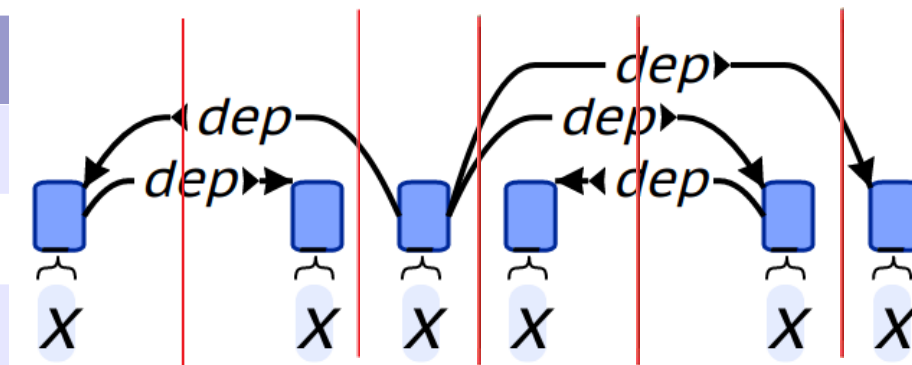
Methods and data preparation

Data

- Corpus : **Universal Dependencies** (UD) treebanks (version 2.3, Nivre et al. 2018) for 4 languages: Chinese, English, French and Japanese.
- We removed punctuation links.
- For every original tree we create 3 alternative trees.

Features

Feature name	Value
Length	6
Height	3
Maximum arity	3



Mean dependency
distance (MDD)
[Liu et al. 2008]

$$(2+1+1+2+3)/5=1.8$$

Mean flux weight
(MFW)

$$(1+1+1+2+1)/1.2$$

→ all related to syntactic complexity

Typology of local configurations

We group the **trigram configurations** into 4 types.

balanced



bouquet



┘

$a \leftarrow b \rightarrow c$



zigzag

Introduces height in both
directions



chain

┘

Introduces height in
one direction

$a \rightarrow b \rightarrow c$

Hypotheses

- **Tree length** is positively correlated with other properties.
- Particularly interested in the relationship between **mean dependency distance** and **mean flux weight**.
 - As tree length increases $\Rightarrow$ the number of possible trees increases
 $\Rightarrow$ opportunity to introduce more complex trees
 - **Longer dependencies** (higher MDD)
 - **More nestedness** (higher mean flux weight)
 - An increase in **nestedness** $\Rightarrow$ more descendents between a governor and its direct dependents $\Rightarrow$ increase in **mean dependency distance**.

Generating random trees

Generating random trees

We test 3 possibilities :

- *Original-random* : original tree, random linearisation
- *Original-optimized* : original tree, « optimal » linearisation
- *Random-random* : random tree, random linearisation

One more constraint : we only generate projective trees.

→ We expect that natural trees will be the furthest away from *random-random* and somewhere between *original-random* and *original-optimized*.



Random tree

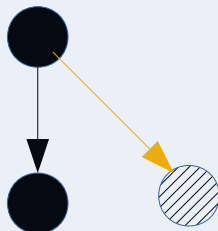
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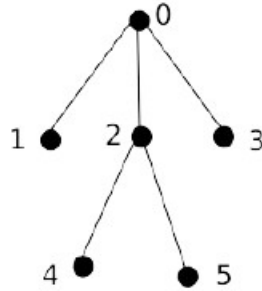
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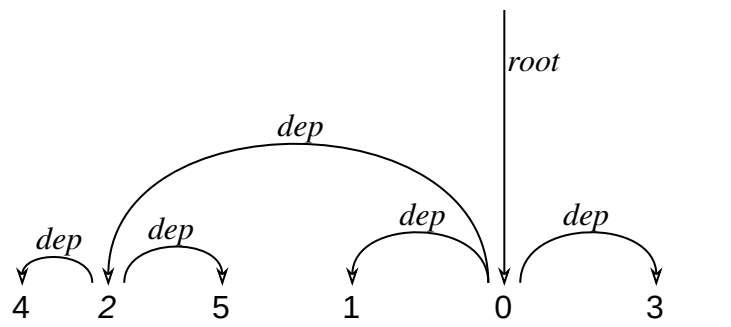
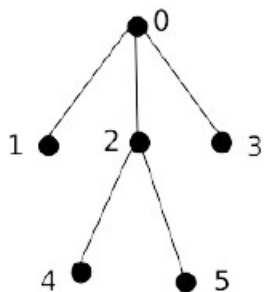


Random projective linearisation



1. Start at the root
2. Randomly order direct dependents $\rightarrow [2,1,3]$
3. Select a random direction for each $\rightarrow [\ll \text{left} \gg, \ll \text{left} \gg, \ll \text{right} \gg] \rightarrow [1203]$
4. Repeat steps 2-3 until you have a full linearization $\rightarrow [124503]$

Optimal linearisation



1. Start at the root
2. Order direct dependents by their decreasing number of descendant nodes $\rightarrow [1,3,2]$
3. Linearize by alternating directions (eg. left, right, left) $\rightarrow [2103]$
4. Repeat until all nodes are linearized $\rightarrow [425103]$

[Temperley, 2008]

Generating random trees

- Why this particular algo ?
 - Separates generation of the **unordered structure** and of the **linearisation** → this allows us to change only of the two steps.
 - **Easily extensible**, we have the possibility to add constraints :
 - Set a parameter for the probability of a head-final edge
 - Set a limit on length, height, maximum arity for a node..
 - ...

Results

Results on correlations

- Non surprising results :
 - length/height :
 - **strong in both** artificial and real → formal relationship, slightly intensified in non-artificial trees
 - Zhang and Liu (2018) : the relation can be described as a **powerlaw function** in English and Chinese ; interesting to look if the same thing can be found in artificial trees
 - MDD/MFW :
 - **Strong in both** real and artificial treebanks.
- Interesting results :
 - MDD/height is **stronger in artificial** than real treebanks.
 - MDD/MFW **is stronger in artificial** than real treebanks.

Distribution of configurations

Non-linearized case :

Potential explanations for the original distribution ?

- $b \leftarrow a \rightarrow c$ is **favoured** because it contains the « balanced » configuration, i.e the optimal one for limiting dependency distance.
- $a \rightarrow b \rightarrow c$ is **disfavoured** because it introduces too much height.

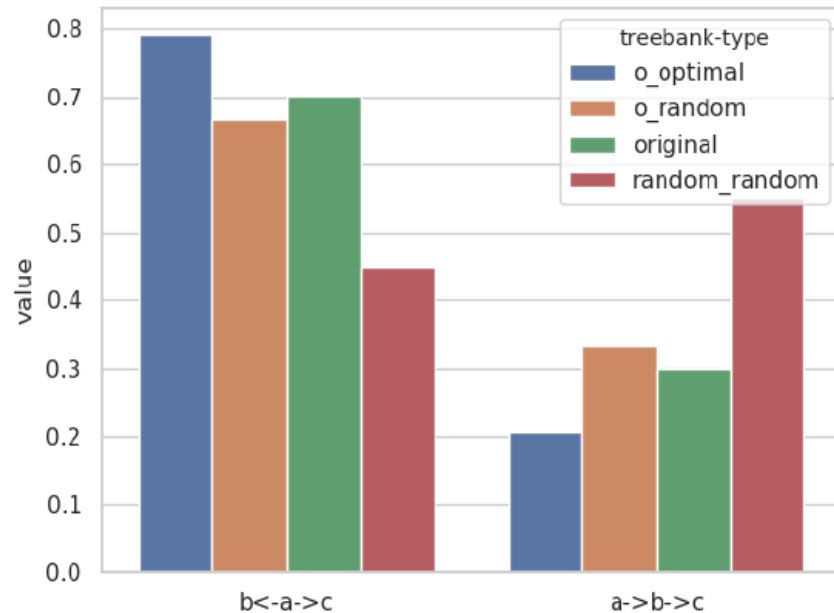


Figure 3: Non-linearized trigram configurations distribution for French

Distribution of configurations

- *Random random* :
 - slight preference for “chain” and “zigzag” : this is probably a by-product of the preference for $b \leftarrow a \rightarrow c$ configurations rather than $a \rightarrow b \rightarrow c$.
 - inside each group (“chain” and “zigzag” / “bouquet” and “balanced”) the distribution is equally divided.
- *Original optimal* :
 - very marked preference for “balanced”.

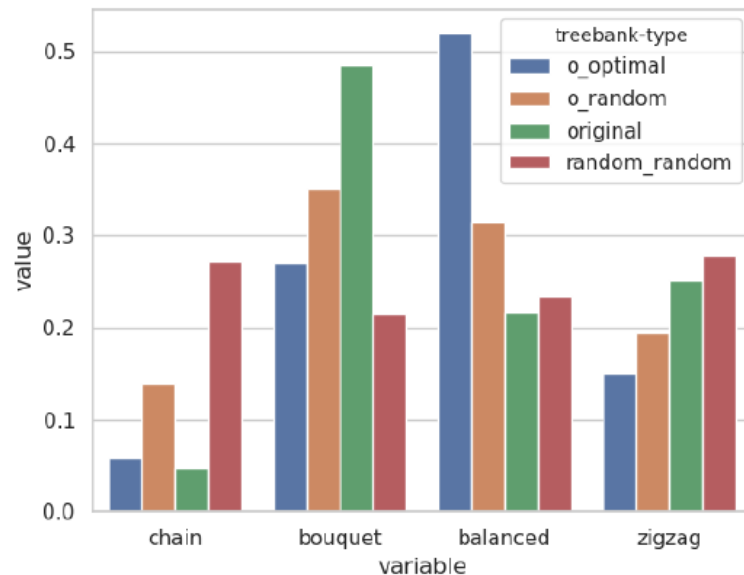


Figure 4: Trigram configurations distribution for French

Distribution of configurations

- *Original trees* :
 - Contrary to the potential explanation we advanced for the high frequency of $b \leftarrow a \rightarrow c$ configurations, “balanced” configurations are not particularly frequent in the original trees.
 - The bouquet configuration is the most frequent, and it is much more frequent in the original trees than in the artificial ones.

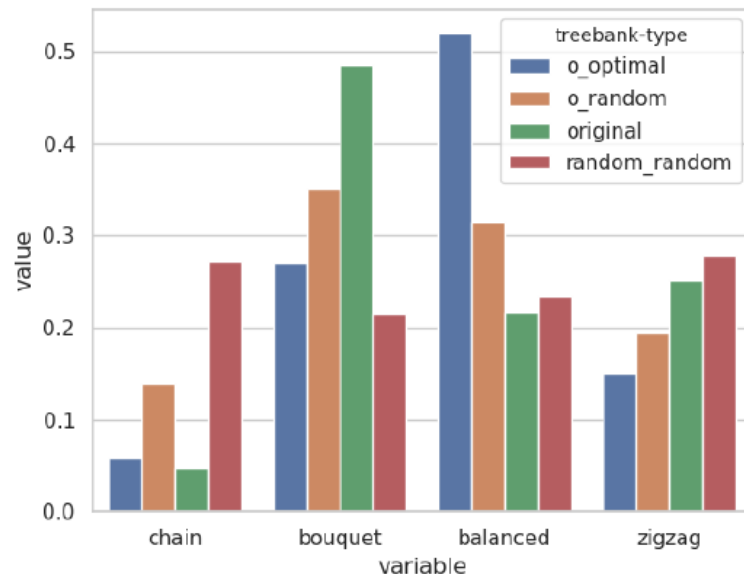


Figure 4: Trigram configurations distribution for French

Limitations

- We only generated **projective trees**.
- We looked at local configurations instead of all subtrees.
- Linear correlation may not be the most interesting observation :
 - The relationship between properties of the tree is **probably not linear**
 - We can directly **look at the properties themselves** and compare groups to **see where original trees fit compared to all random groups**.

Future work

- Compare directly the properties of the trees from the different groups.
Which groups are more distant / similar ?
- Build a model to predict features of the tree
 - Which features can we predict from which combinations of features ?
 - Are natural trees *more predictable* ? They represent a smaller subset, so they could be, but at the same time they are under more complex constraints.
- Study the effects of the *annotation scheme*
 - How will our results be affected if we repeat the same process using an annotation scheme with *functional heads* ? (Yan's earlier talk, 2019)